

# Hybrid Shake Table Test of a Midlevel Seismic Isolated Structure (NEES08)

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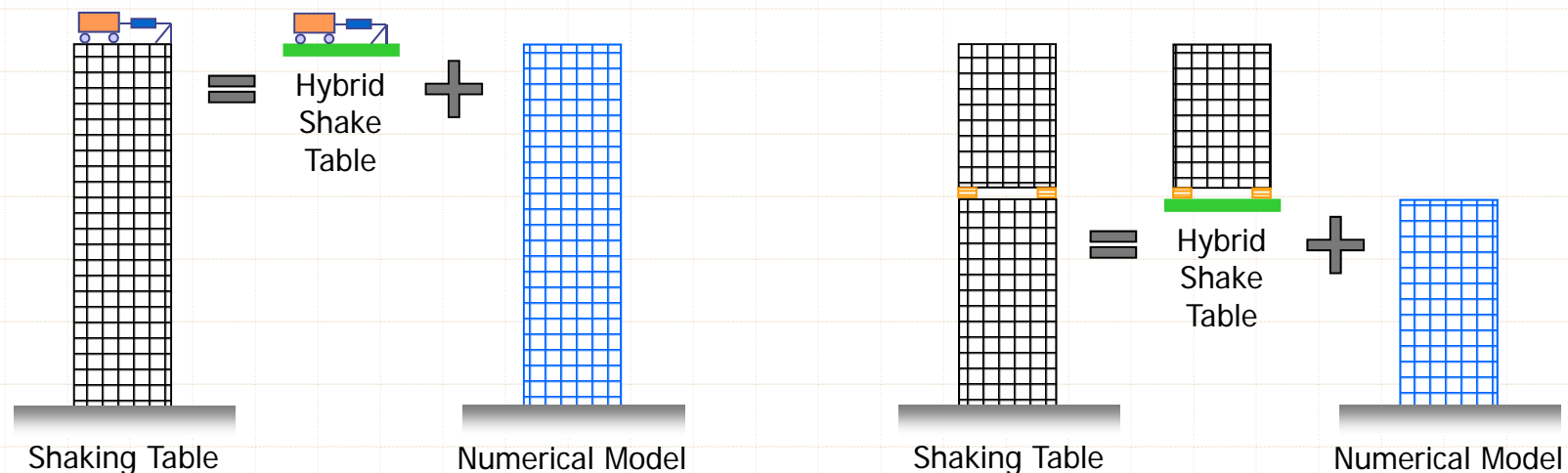
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# Outline of Presentation

1. Motivation
2. Midlevel Seismic Isolation
3. Introduction to Hybrid Simulation
4. Hybrid Shake Table
5. Test Specimen and TFP bearings
6. Test Program and Parameters
7. Preliminary Results
8. Summary & Conclusions

# Motivation

- ★ Many structures exhibit significant rate of loading effects
- ★ Need testing to occur at or near real time
- ★ Large systems such as tall buildings or SFSI are difficult to test on shake tables



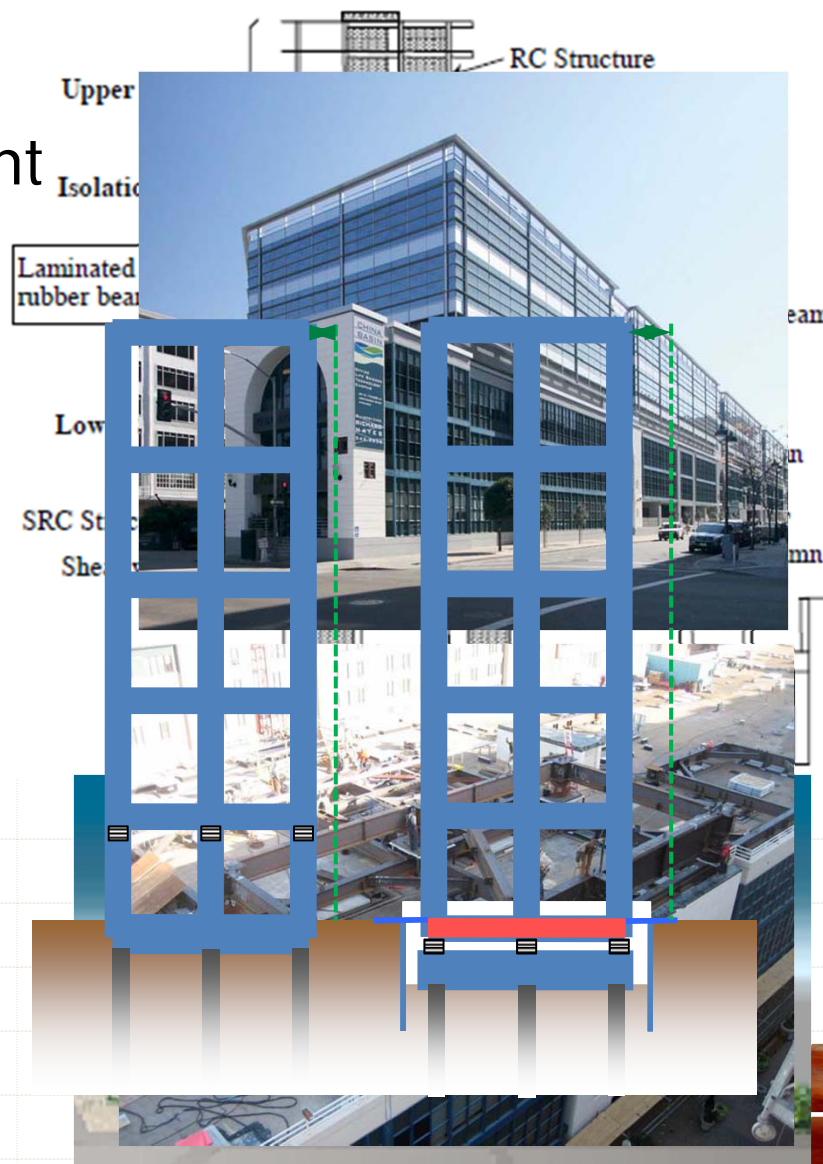
# Motivation

- ★ Enables us to perform dynamic tests of full-scale specimens without exceeding size, strength and weight limitations of shake table.
- ★ With very little effort we can perform a wide range of parameter studies by changing the properties of the analytical portion of the hybrid model.



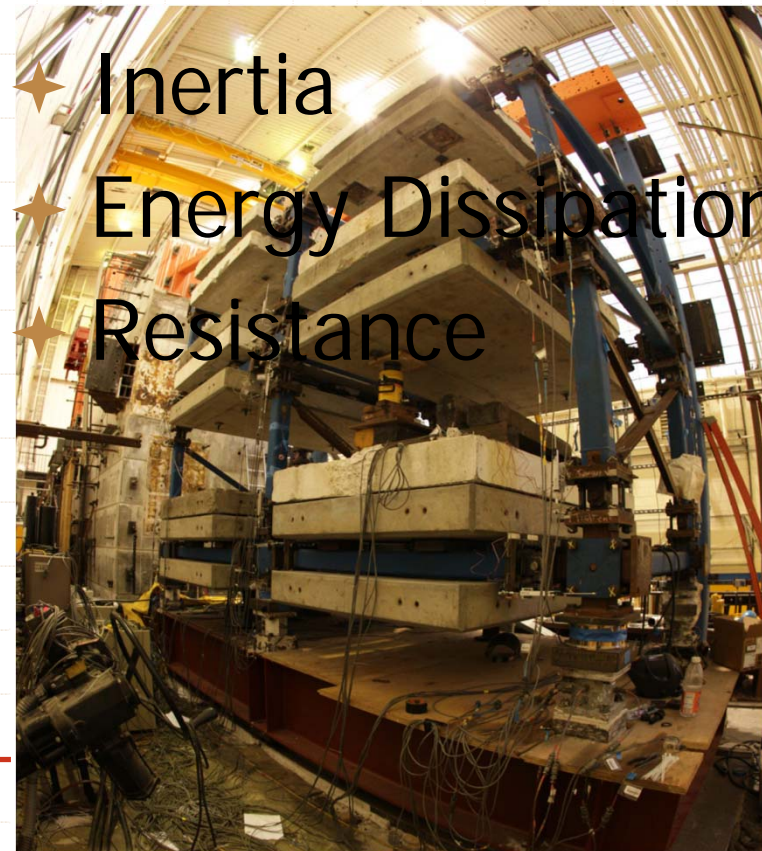
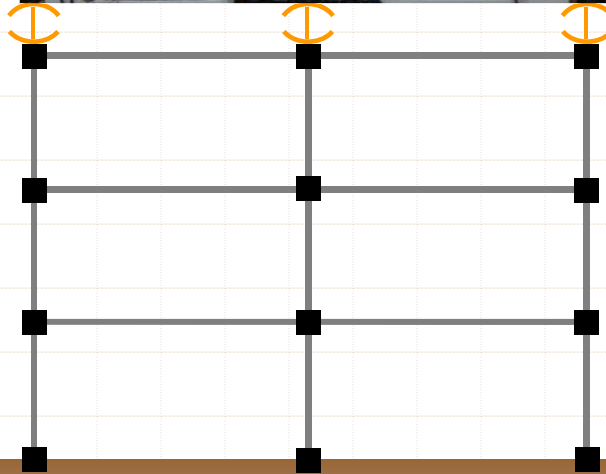
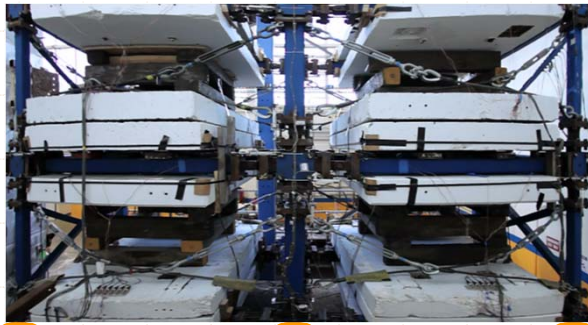
# Midlevel Seismic Isolation

- ✦ Provide architectural flexibility
  - transitions between different structural systems
- ✦ Facilitate addition of new stories
  - minimally increase seismic demands on the existing building
  - exploit untuned mass-damper effect
- ✦ Decrease cost of isolation
  - Moat and clearance space



# Hybrid Simulation

$$\mathbf{M} \cdot \ddot{\mathbf{u}} + \mathbf{C} \cdot \dot{\mathbf{u}} + \mathbf{P}_r(\mathbf{u}, \dot{\mathbf{u}}, \ddot{\mathbf{u}}) = \mathbf{P}(t)$$



# Hybrid Simulation

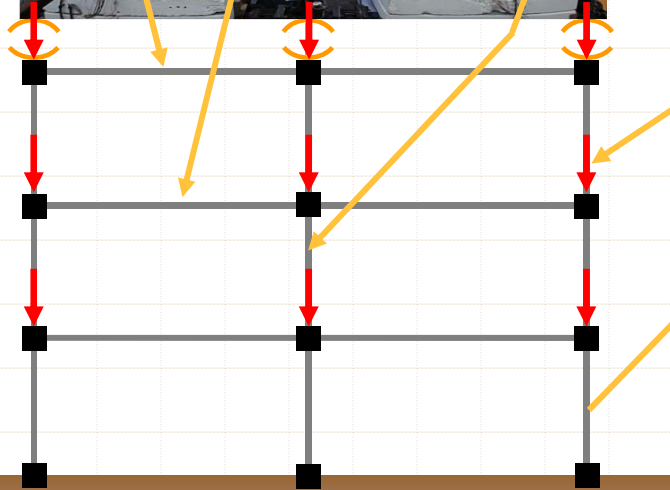
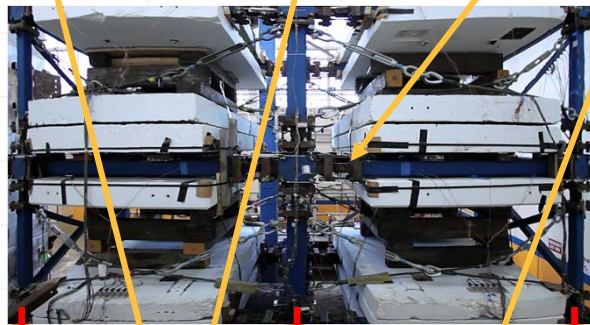
$$\mathbf{M} \cdot \ddot{\mathbf{u}} + \mathbf{C} \cdot \dot{\mathbf{u}} + \mathbf{P}_r(\mathbf{u}, \dot{\mathbf{u}}, \ddot{\mathbf{u}}) = \mathbf{P}(t)$$

Dynamic Loading:

- Seismic
- Wind
- Blast/Impact
- Wave
- Traffic

Static Loading:

- Gravity
- Prestress



analytically add nonlinear geometric effects to measured resisting forces

analytical model of structural energy dissipation and inertia

physical model of structural resistance



# Equations of Motion

## 1. Slow test

$$\mathbf{M}\ddot{\mathbf{U}}_{i+1} + \mathbf{C}\dot{\mathbf{U}}_{i+1} + \mathbf{P}_r^A(\mathbf{U}_{i+1}, \dot{\mathbf{U}}_{i+1}) + \mathbf{P}_r^E(\mathbf{U}_{i+1}) = \mathbf{P}_{i+1} - \mathbf{P}_{0,i+1}$$

## 2. Rapid test

$$\mathbf{P}_r^E(\mathbf{U}_{i+1}) = \mathbf{P}_{r,i+1}^E - \mathbf{M}^E \ddot{\mathbf{U}}_{i+1}^E - \mathbf{C}^E \dot{\mathbf{U}}_{i+1}^E$$

## 3. Real-time test

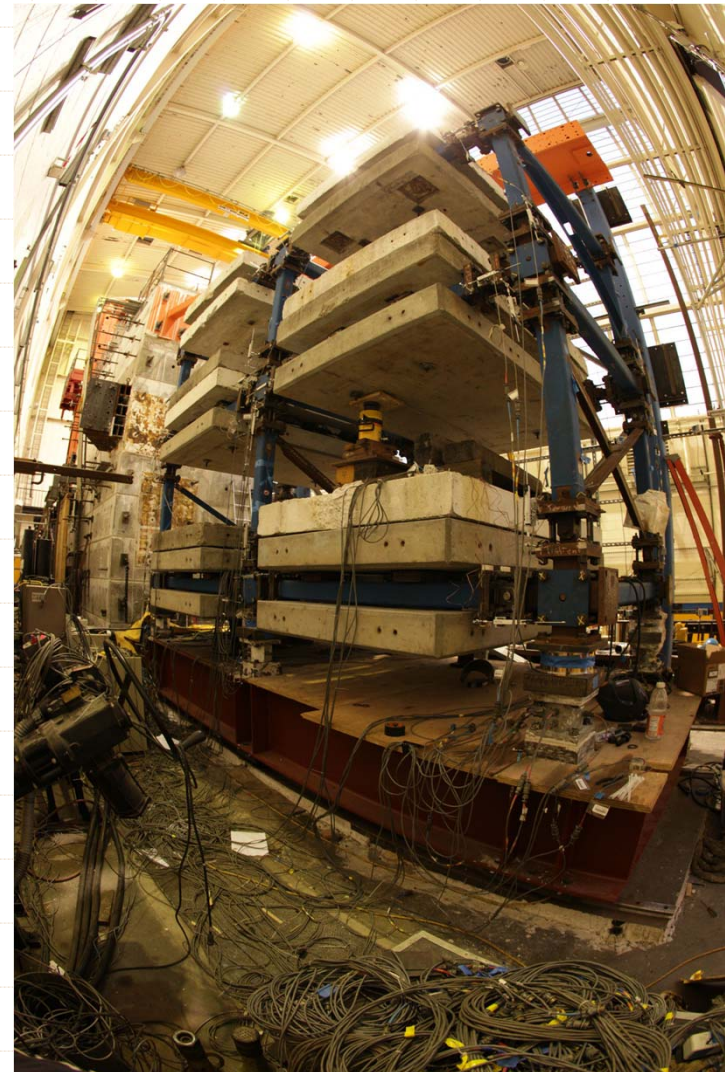
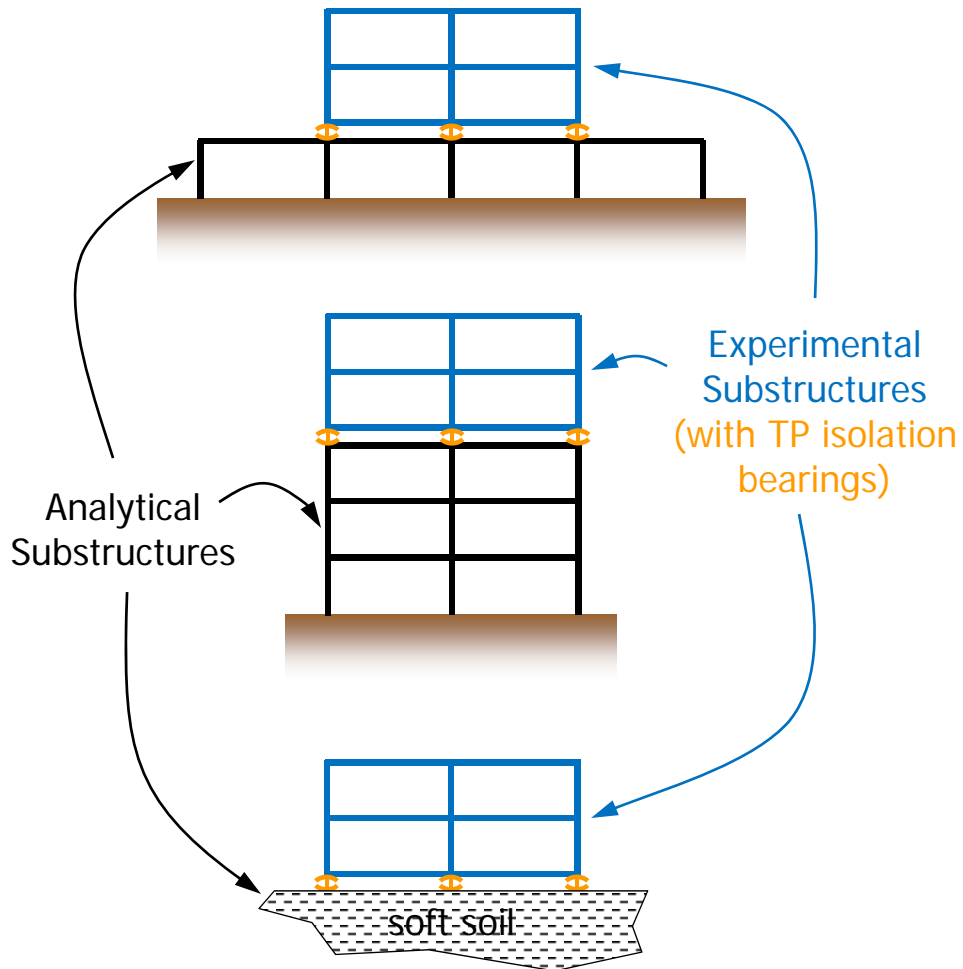
$$\mathbf{M}^A \ddot{\mathbf{U}}_{i+1} + \mathbf{C}^A \dot{\mathbf{U}}_{i+1} + \mathbf{P}_r^A(\mathbf{U}_{i+1}, \dot{\mathbf{U}}_{i+1}) + \mathbf{P}_r^E(\mathbf{U}_{i+1}, \dot{\mathbf{U}}_{i+1}, \ddot{\mathbf{U}}_{i+1}) = \mathbf{P}_{i+1} - \mathbf{P}_{0,i+1}$$

$$\mathbf{P}_r^E(\mathbf{U}_{i+1}, \dot{\mathbf{U}}_{i+1}, \ddot{\mathbf{U}}_{i+1}) = \mathbf{P}_{r,i+1}^E + \mathbf{M}^E \ddot{\mathbf{U}}_{i+1}$$

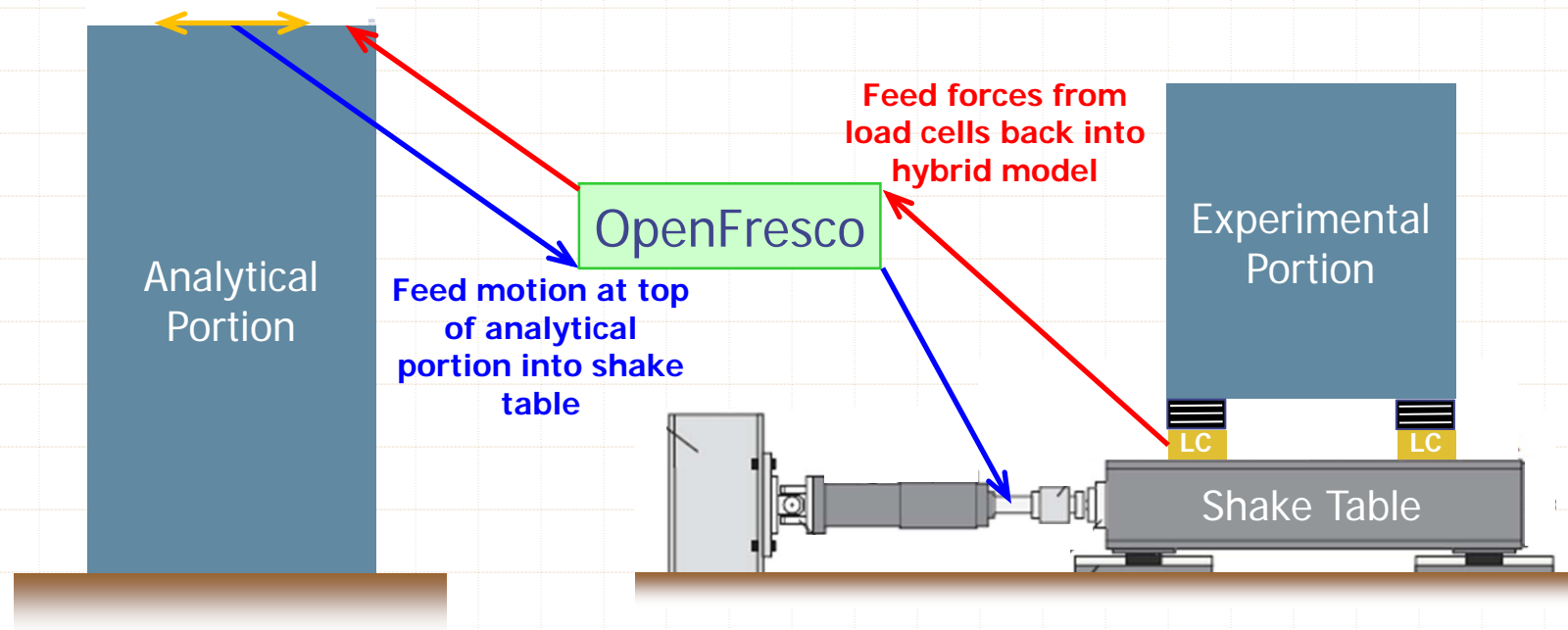
## 4. Smart shaking table test

$$\mathbf{P}_r^E(\mathbf{U}_{t,i+1}, \dot{\mathbf{U}}_{t,i+1}, \ddot{\mathbf{U}}_{t,i+1}) = \mathbf{P}_{r,i+1}^E + \mathbf{M}^E \ddot{\mathbf{U}}_{t,i+1}$$

# Hybrid Shake Table Test

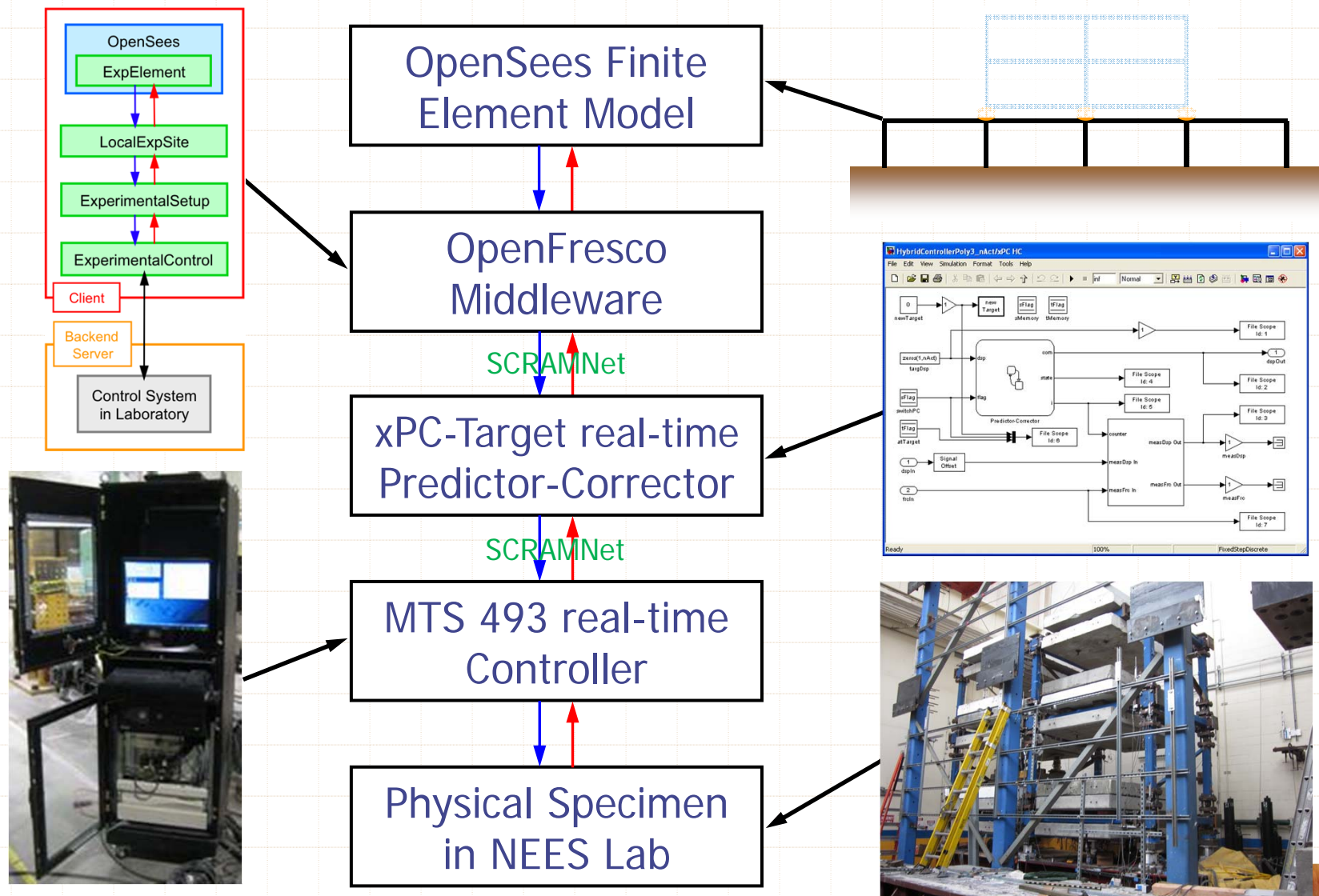


# Hybrid Shake Table Configuration





# Connecting to MTS 493 controller

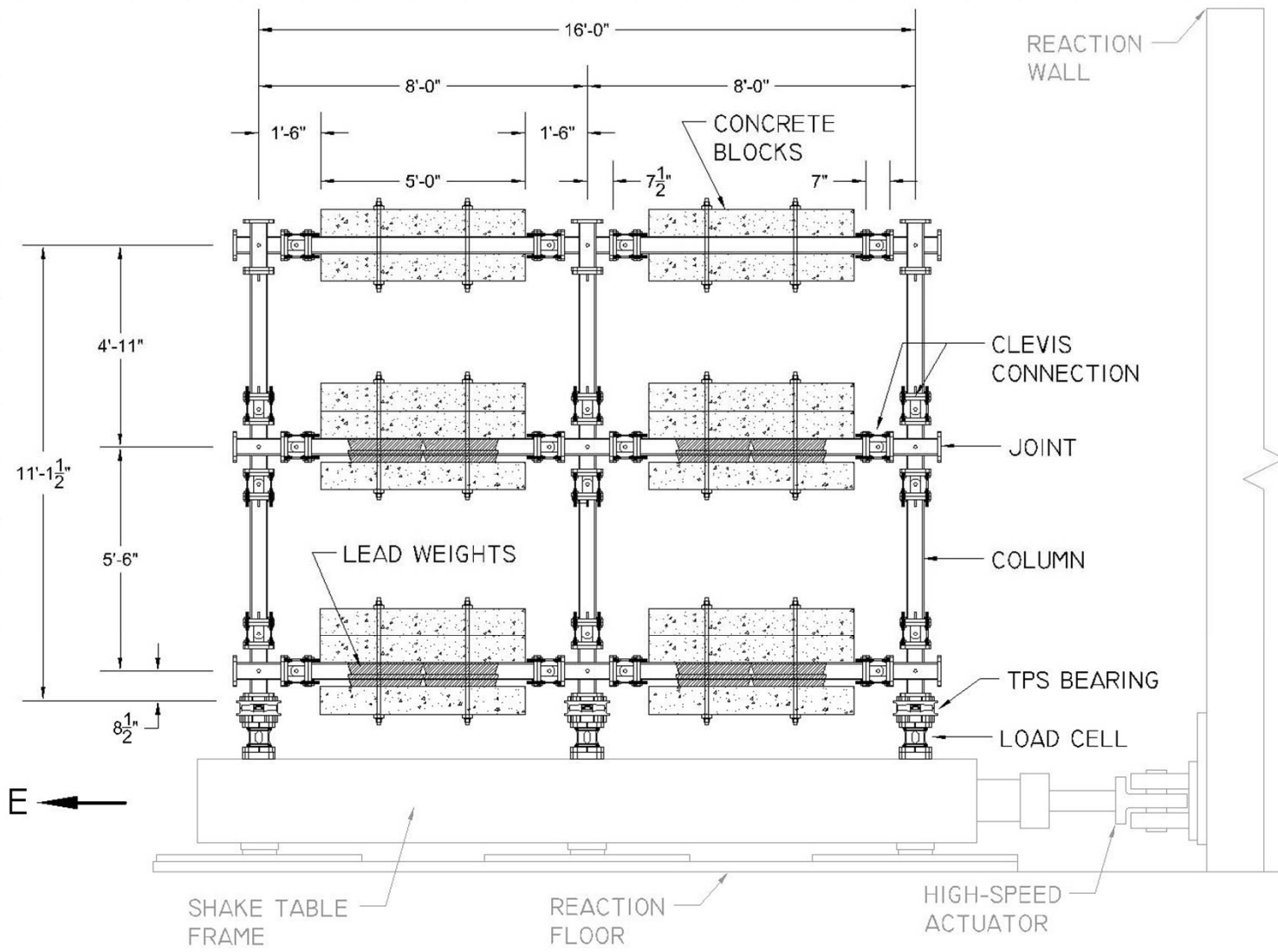


# Shake Table



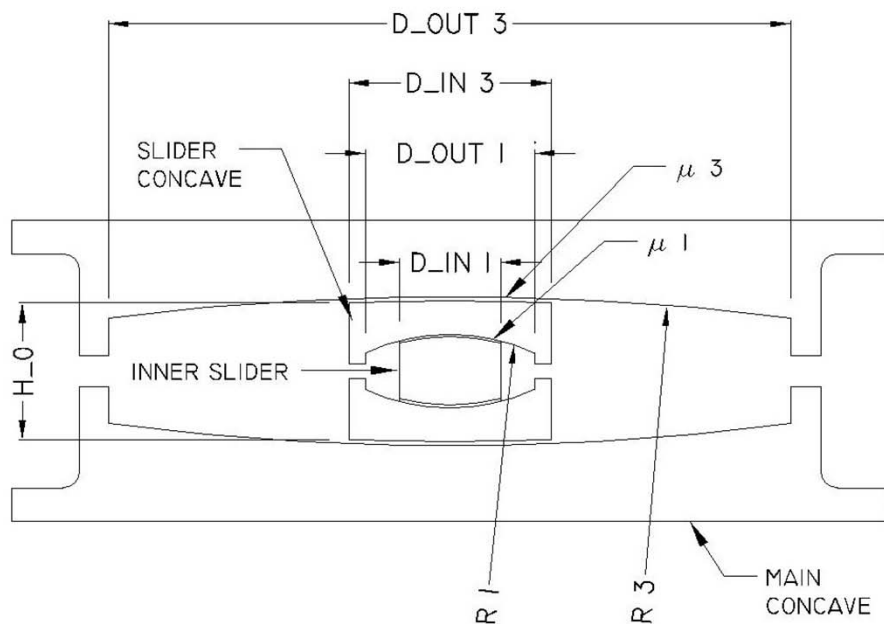
- ✦ 5.8m x 2.1m platform
- ✦ Linear bearings with  $\mu < 10\%$
- ✦ Actuator with 1000kN,  $\pm 0.5\text{m}$  and  $\pm 1\text{m/sec}$  capacity

# Specimen





# Triple Friction Pendulum Bearings



$$T_{\text{eff}} = 1.4 \text{ sec @ } 10\text{cm}$$

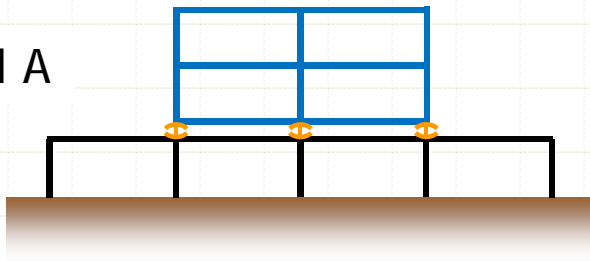
PROPERTY	VALUE
R 1	3.00"
R 3	18.64"
D_IN 1	1.5"
D_IN 3	3.0"
D_OUT 1	2.5"
D_OUT 3	9.0"
H_0	6.0"
$\mu$ 1	2%
$\mu$ 3	9%

1/3<sup>rd</sup> scale



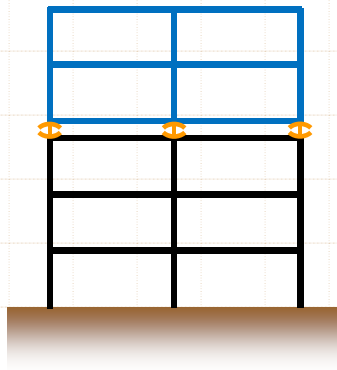
# Analytical Substructure Parameters

Model A



$W_{\text{floor}}$ (kN)	$T_1$	$\zeta_1$
445	1.01	0.03
445	0.51	0.03
445	0.25	0.03
445	0.13	0.03

Model B



$W_{\text{floor}}$ (kN)	$T_1$	$T_2$	$T_3$	$\zeta_{1,3}$
142	1.02	0.36	0.25	0.03
142	0.51	0.18	0.13	0.03
142	0.25	0.09	0.06	0.03

# Important Analysis Parameters

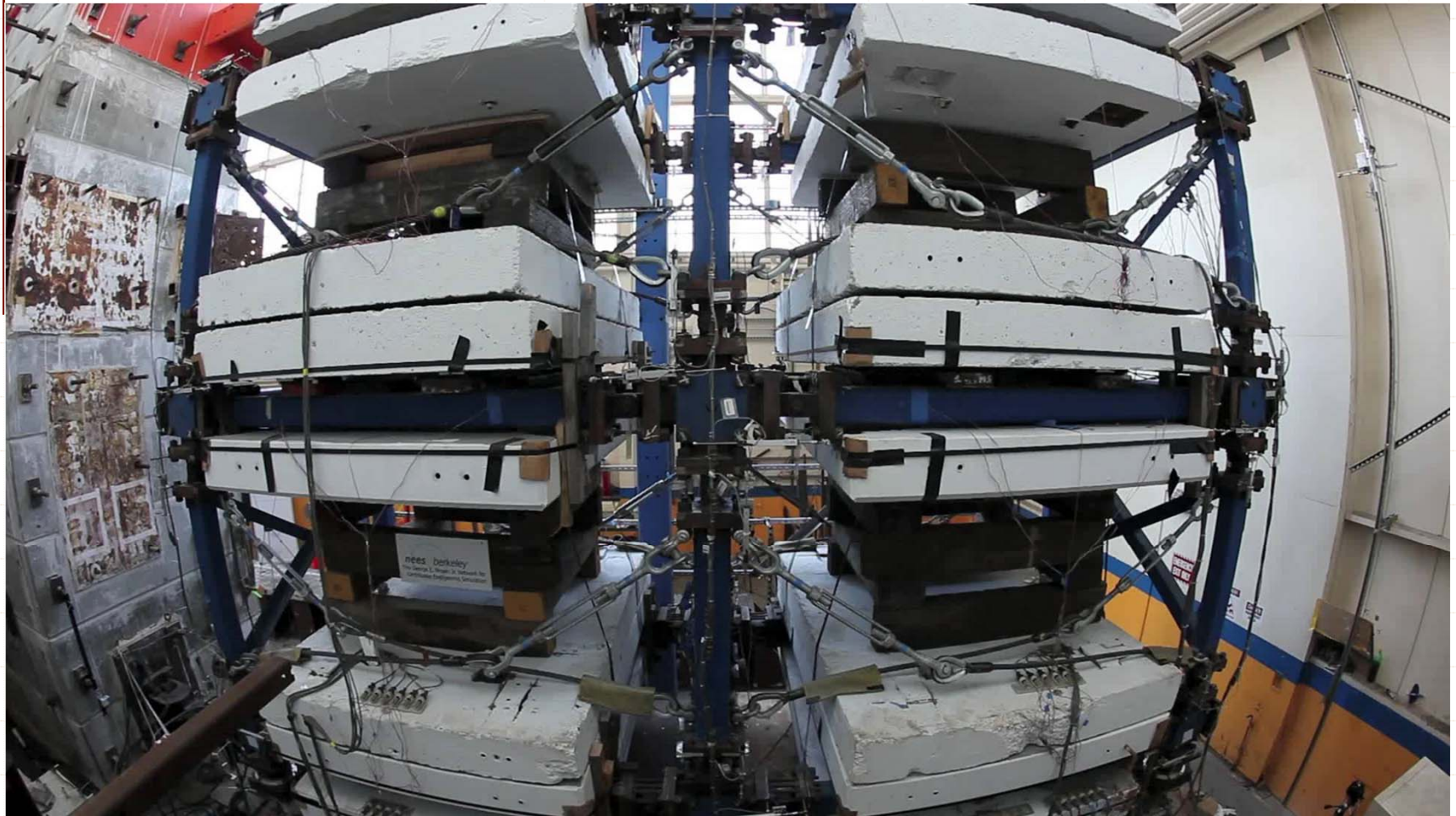
- ★ OpenSees as computational driver
- ★ Using Newmark Explicit ( $\beta = 0, \gamma = 0.5$ )
- ★ No iterations necessary
- ★ But conditionally stable
  - $dt < T_{\min}/\pi = 0.06/\pi = 0.01997$  sec
  - choose  $dt_{\text{int}} = dt_{\text{sim}} = 5/1024 = 0.00488$  sec
- ★ Using MultipleSupport excitation pattern in OpenSees to get **absolute** response
- ★ SCRAMNet experimental control is used to reduce communication delays



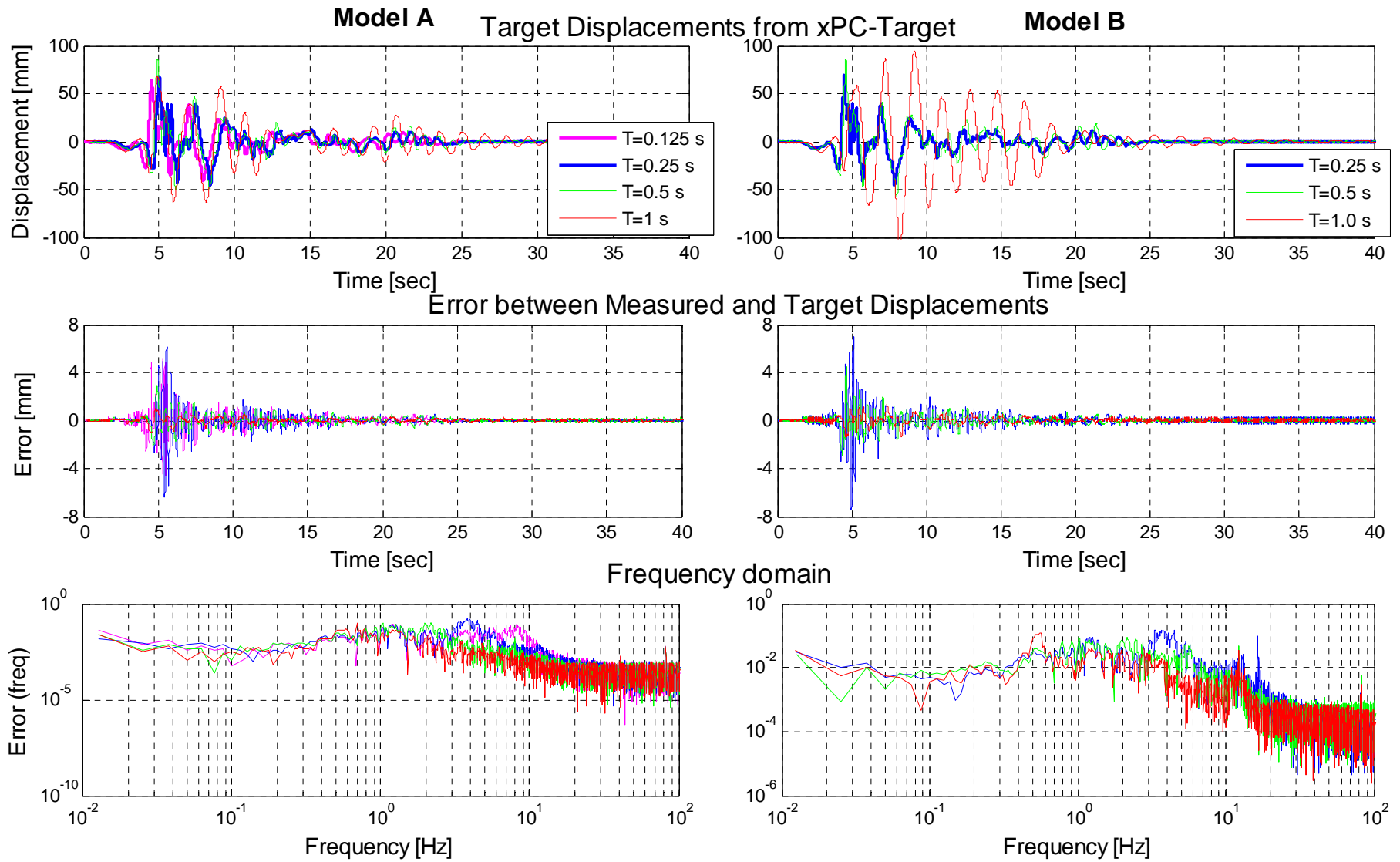
# Ground Motion

- ★ Loma Prieta Gilroy #4 Array
  - DBE 10% chance of exceedance in 50 years
- ★ Scaled so expected bearing displ. was just within the maximum displ. of the bearings (18 cm) under the MCE level, or 2% chance of exceedance in 50 years

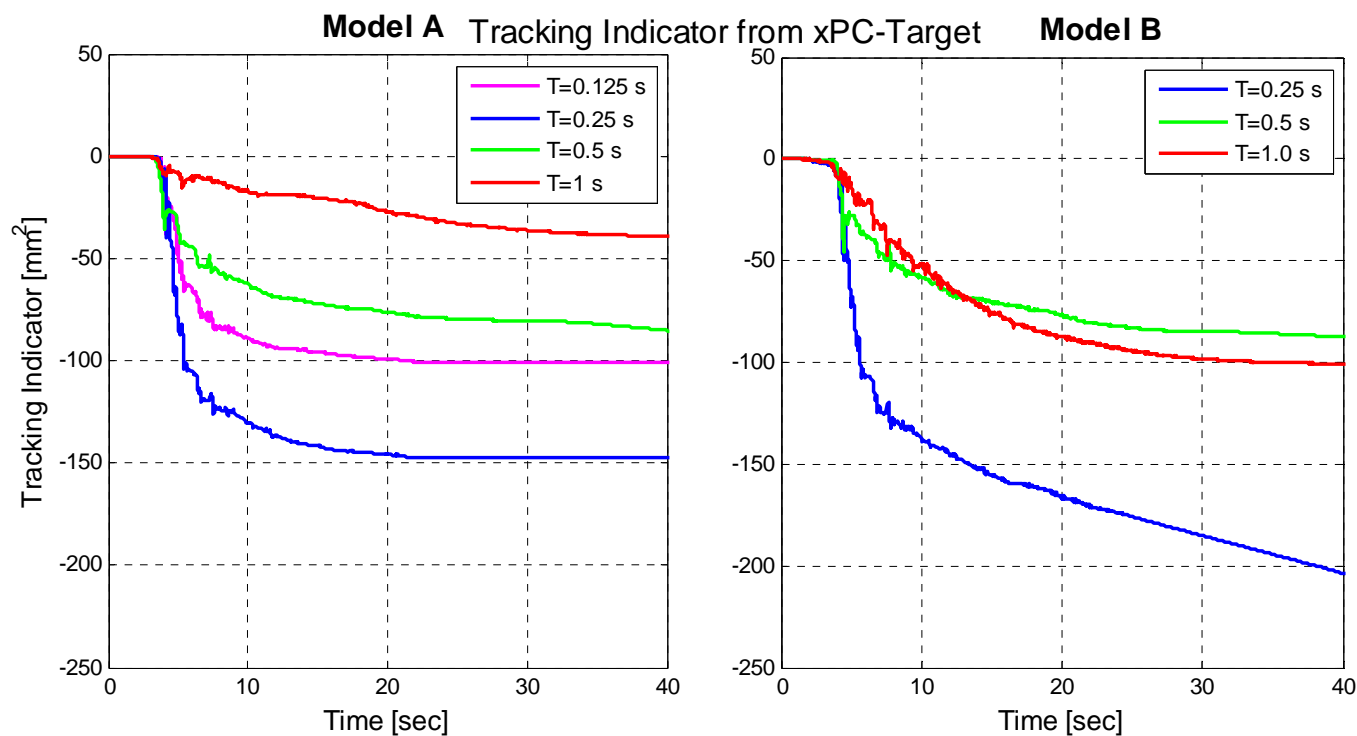
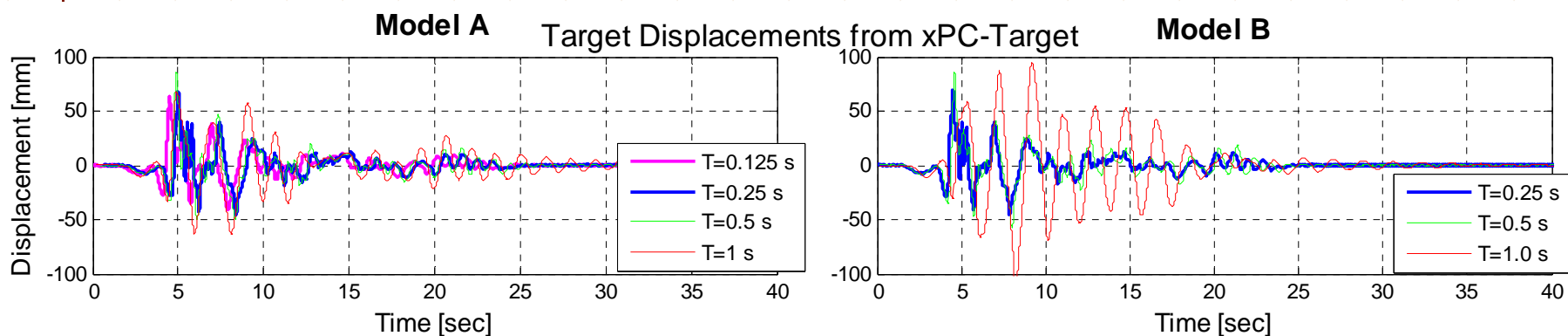
# Movie of Test



# Shake Table Displacements

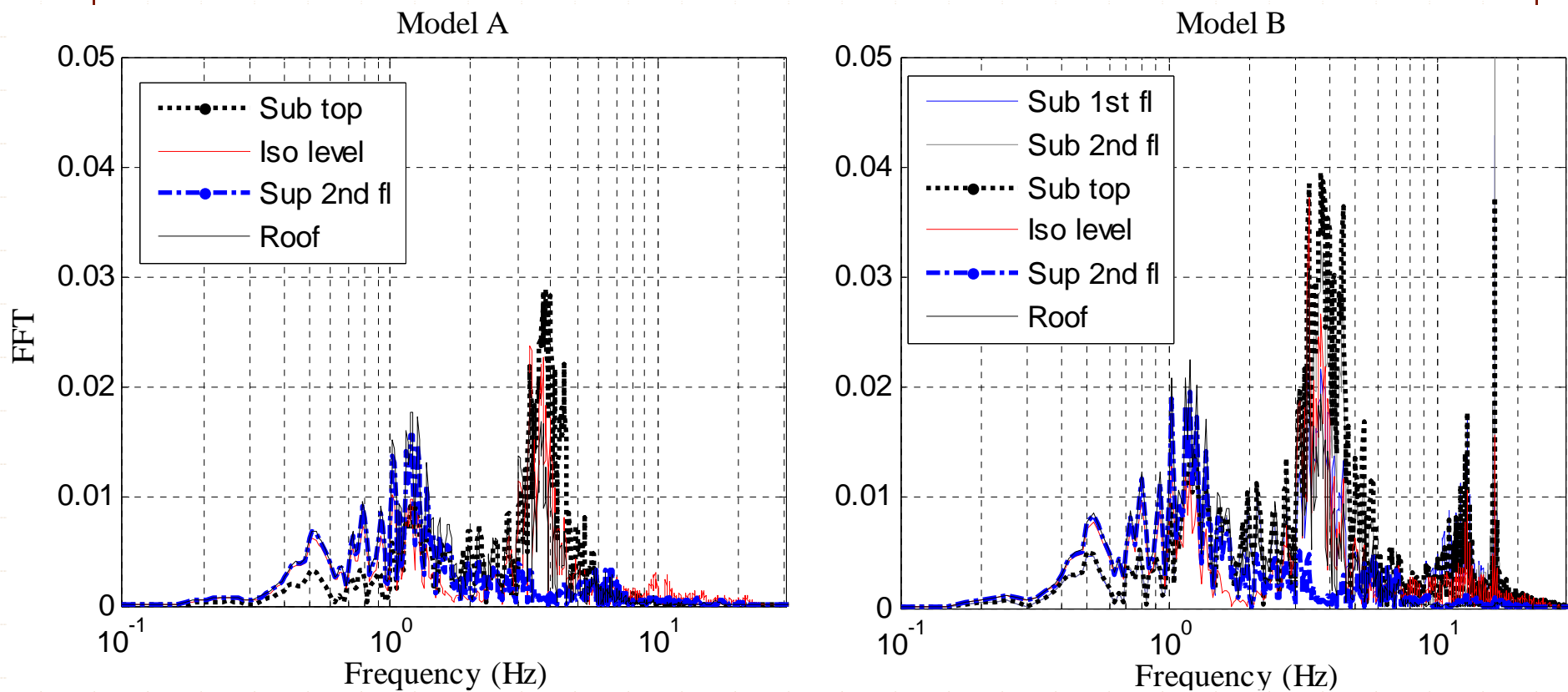


# Tracking Indicators

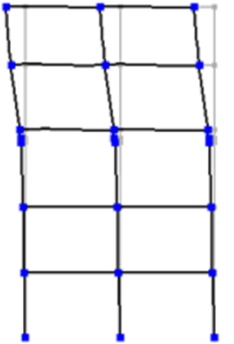
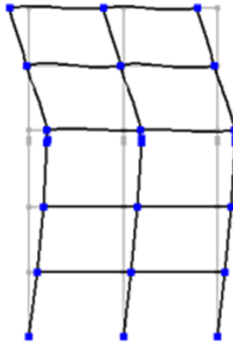
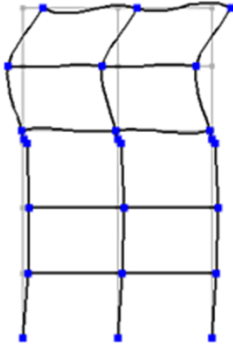
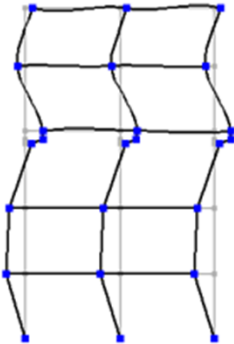
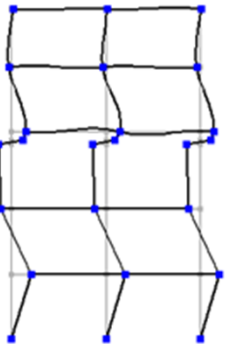
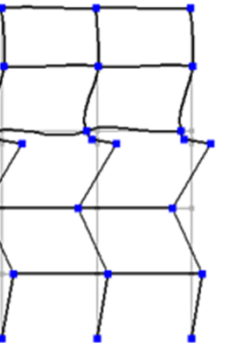
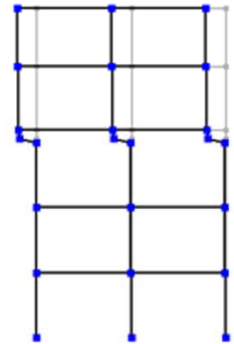
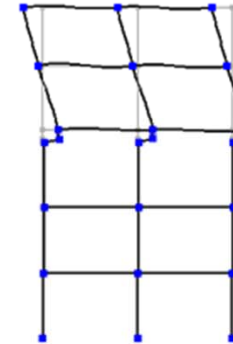
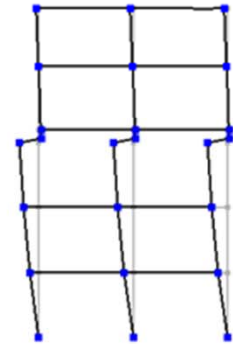
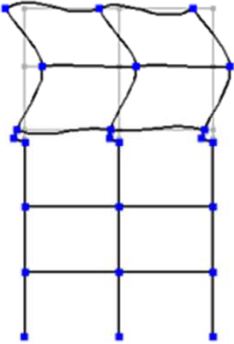
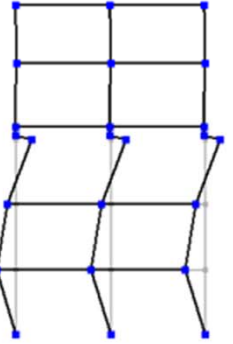
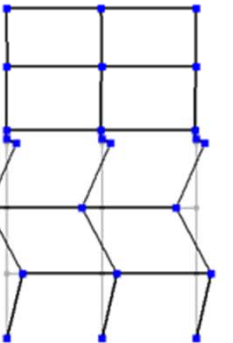




# FFTs of acc. histories for $T = 0.25$ sec

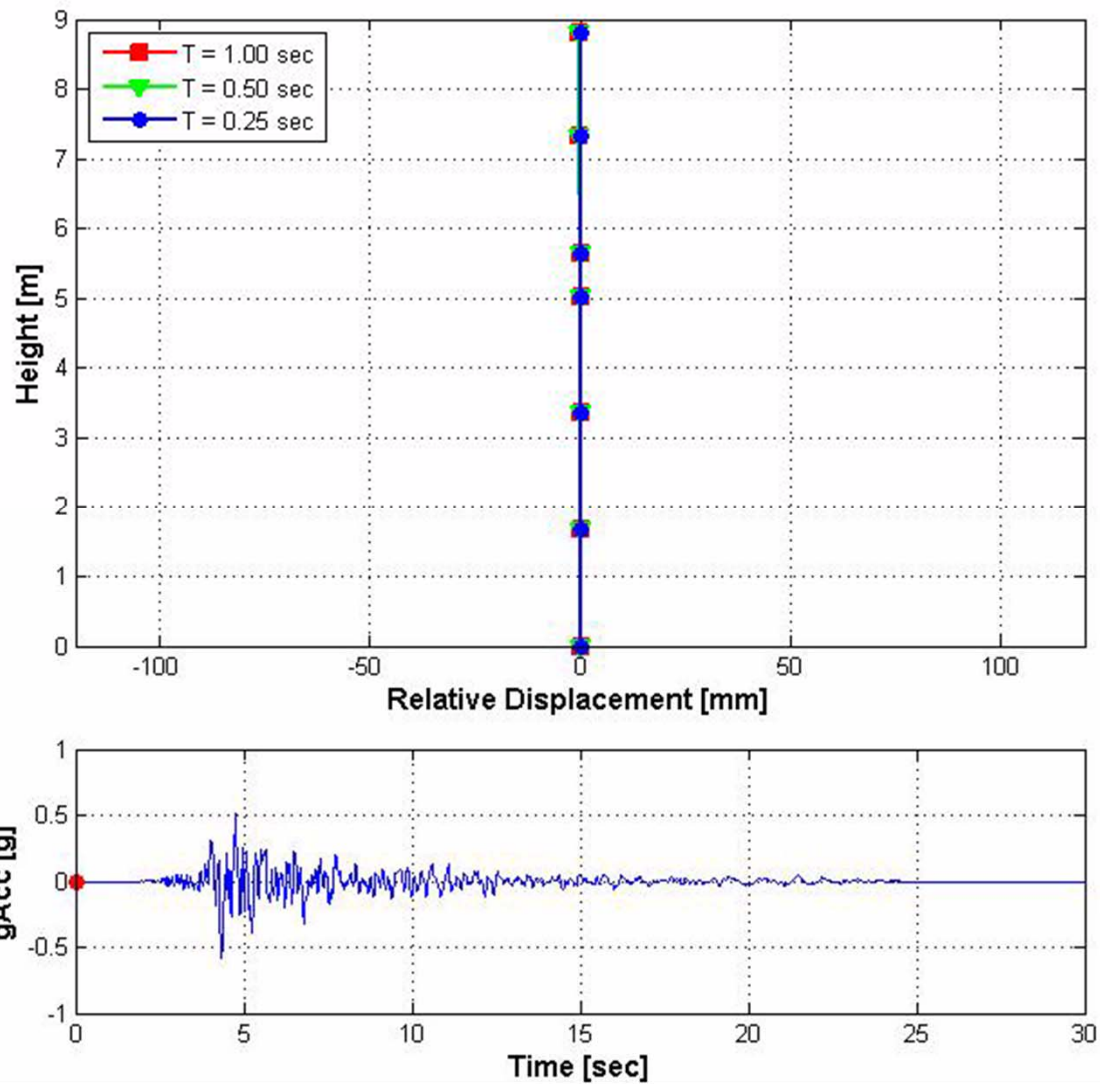


# Mode shapes and frequencies

Mode	1	2	3	4	5	6
<b>k<sub>iso</sub> = initial</b>	 <p>1.7 Hz</p>	 <p>3.6 Hz</p>	 <p>7.0 Hz</p>	 <p>9.6 Hz</p>	 <p>14.2 Hz</p>	 <p>17 Hz</p>
<b>k<sub>iso</sub> = 2nd sliding stage</b>	 <p>0.51 Hz</p>	 <p>3.4 Hz</p>	 <p>4.0 Hz</p>	 <p>7.6 Hz</p>	 <p>11.0 Hz</p>	 <p>15.9 Hz</p>



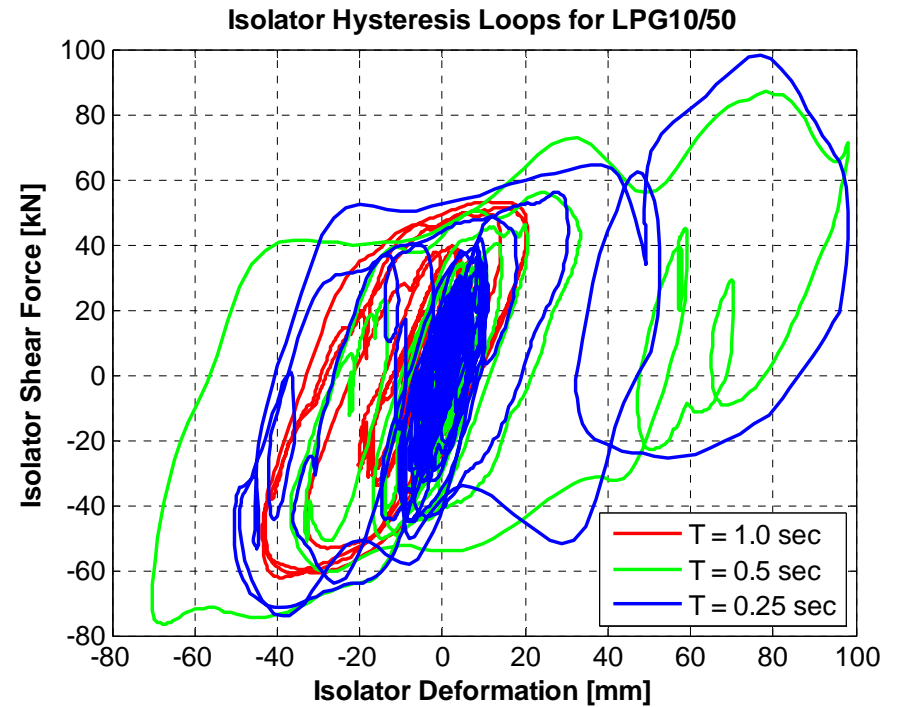
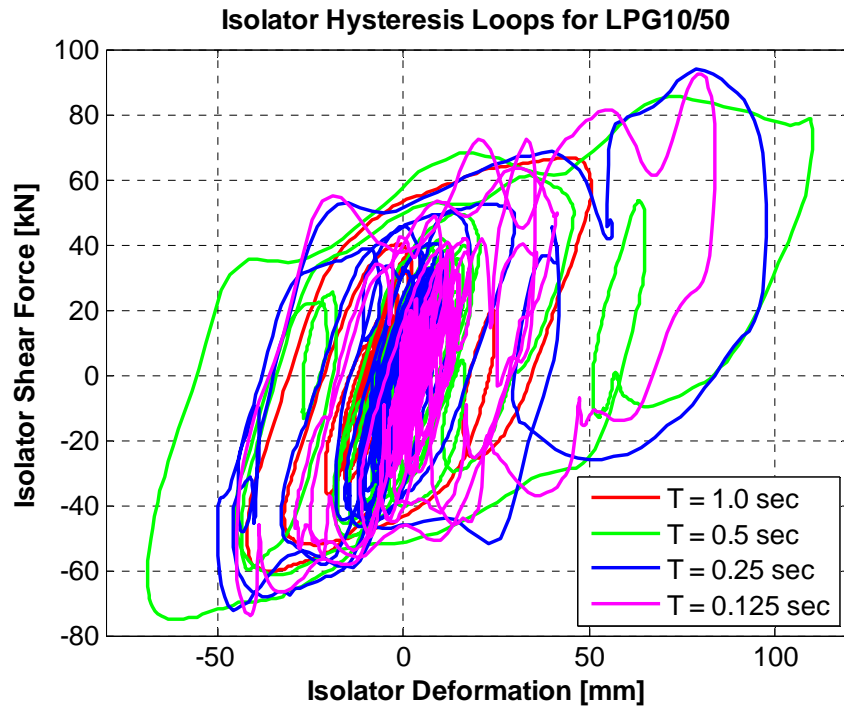
# Relative Displacement Model B



# Isolator Hysteresis Loops

Model A

Model B

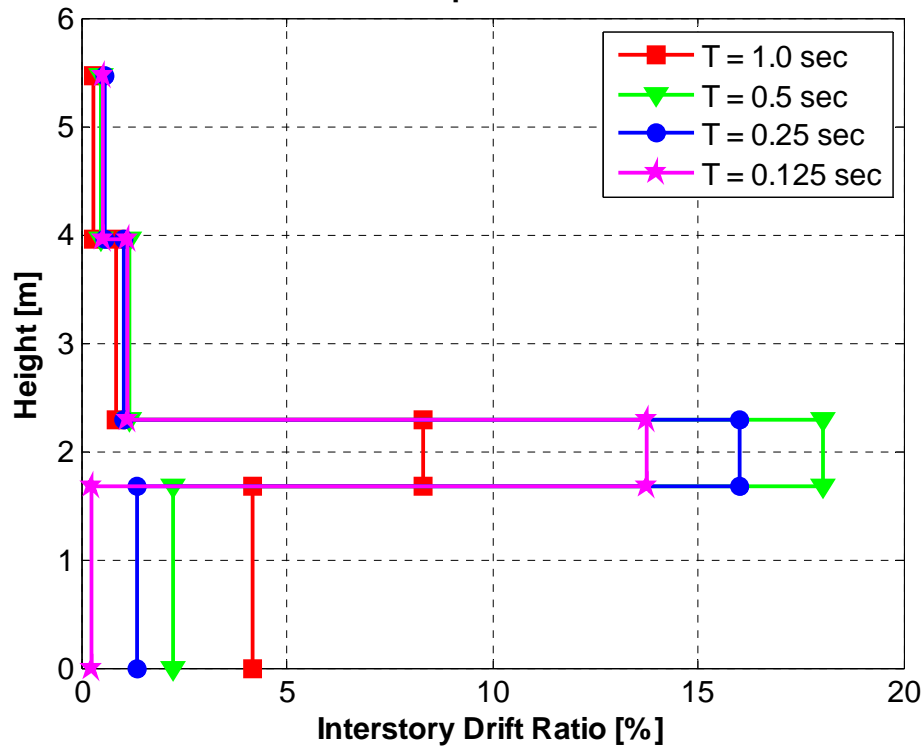


# Drift Envelopes

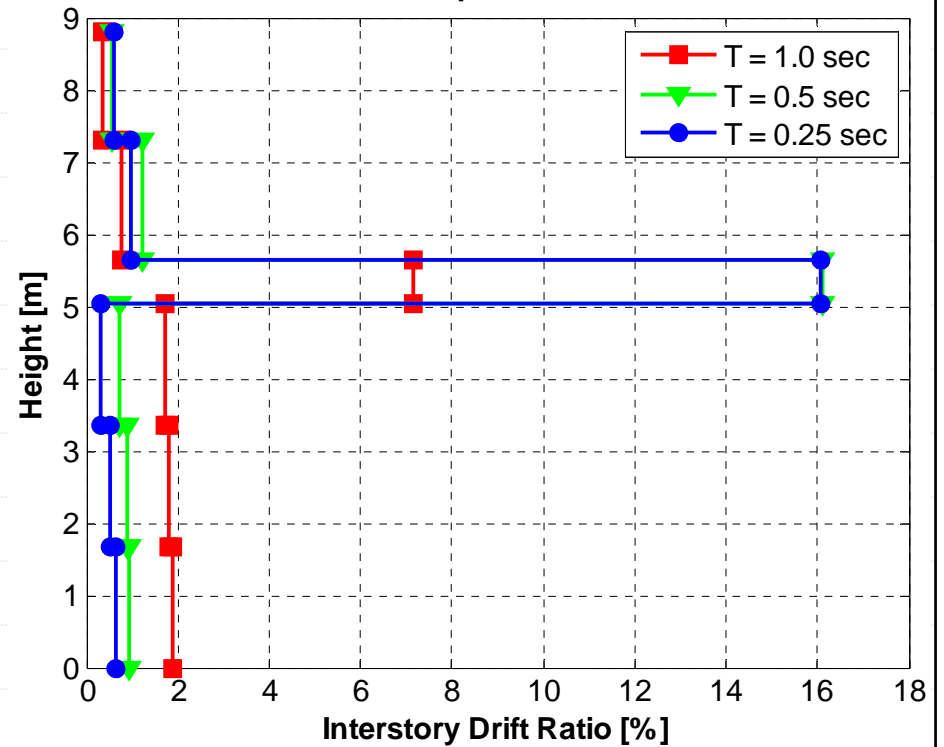
Model A

Model B

Drift Envelopes for LPG10/50



Drift Envelopes for LPG10/50

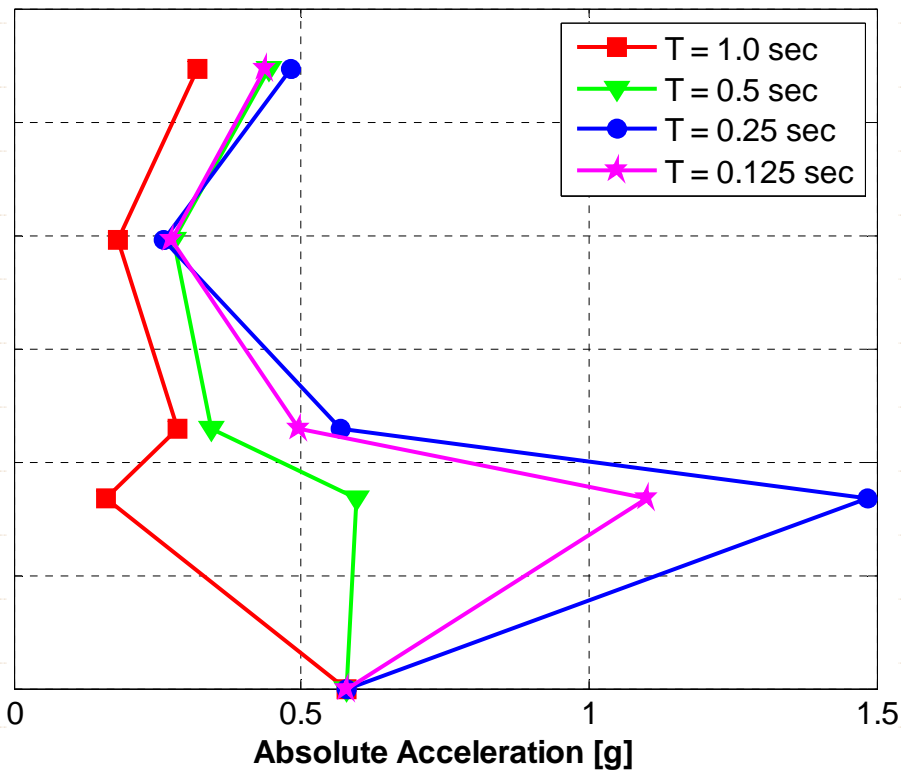


# Response Envelopes

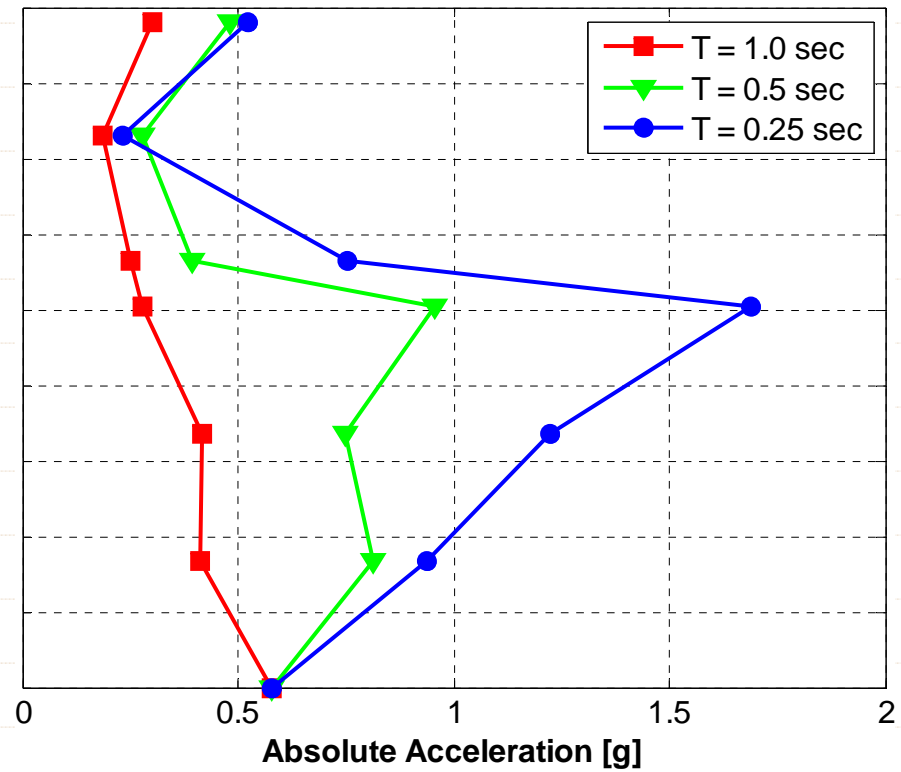
Model A

Model B

Absolute Acceleration Envelopes for LPG10/50



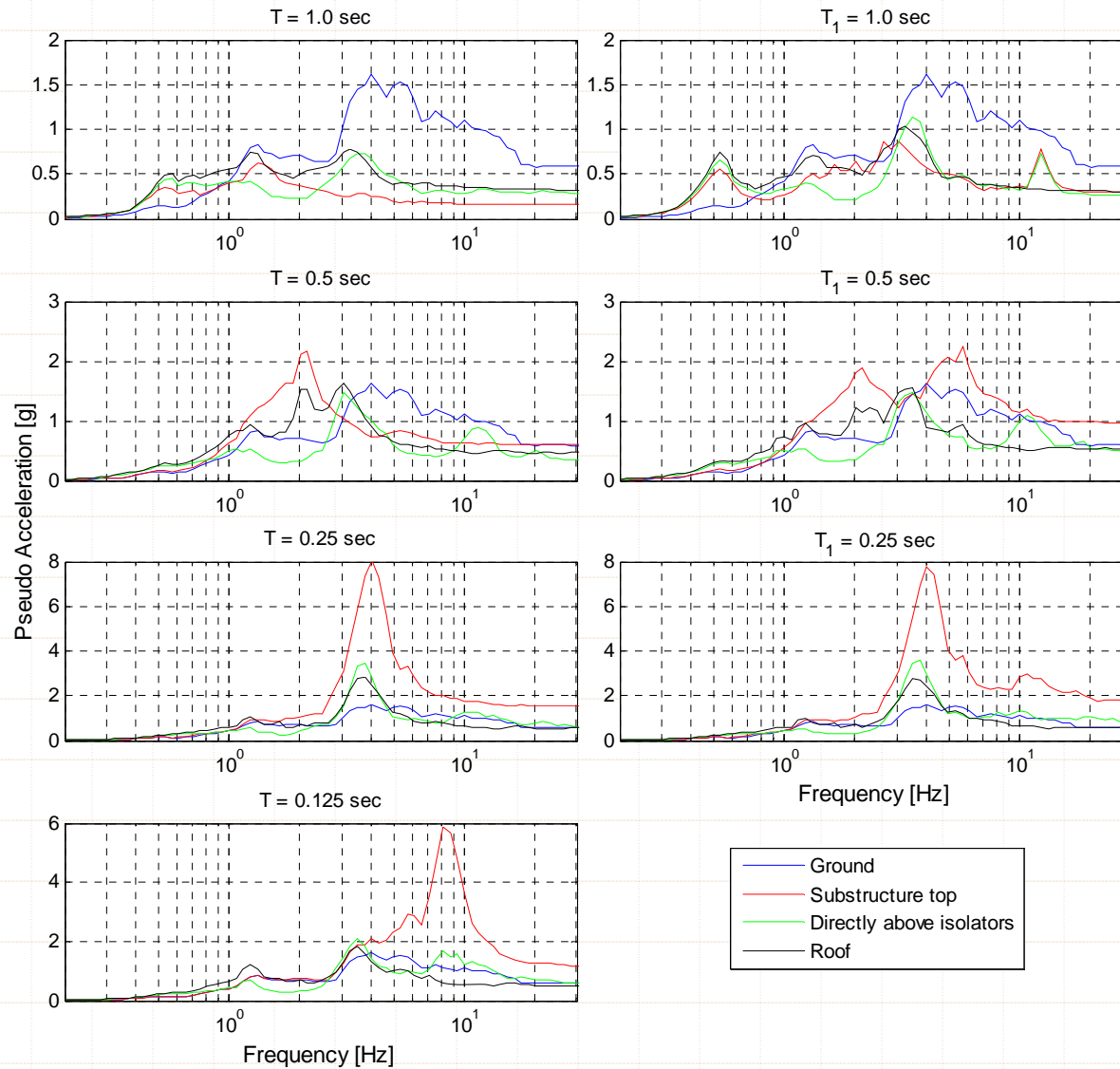
Absolute Acceleration Envelopes for LPG10/50



# Floor Response Spectra

Model A

Model B

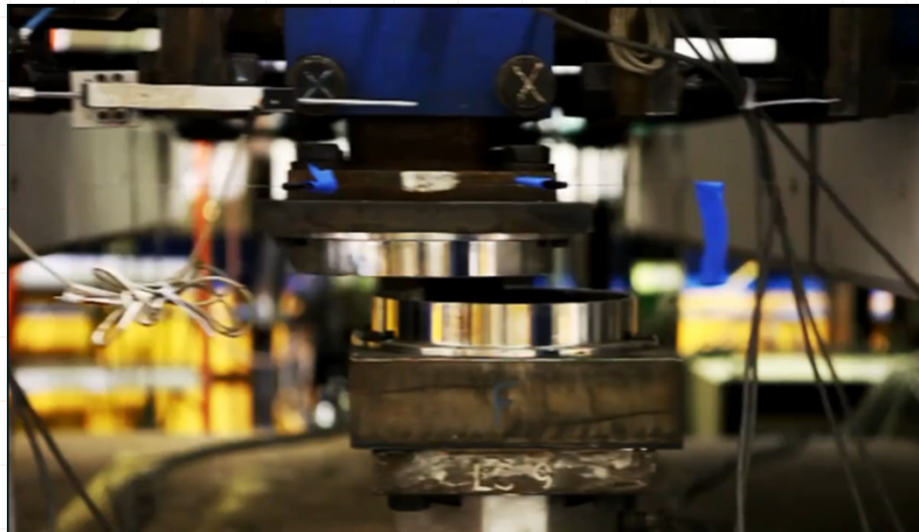
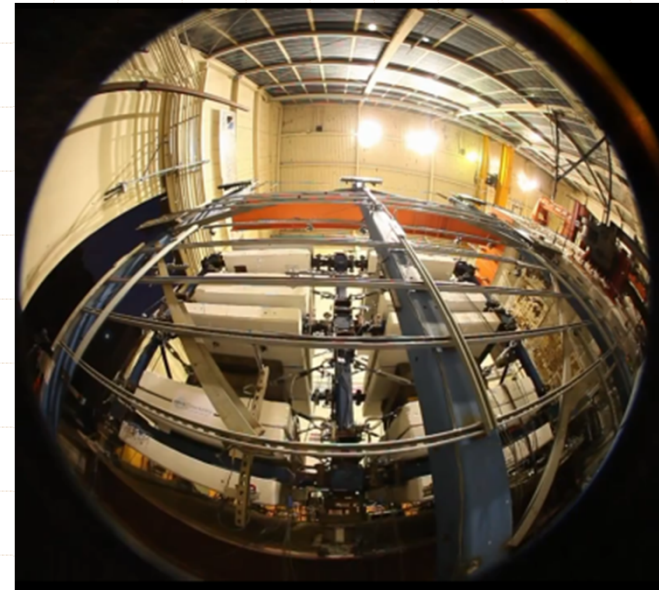
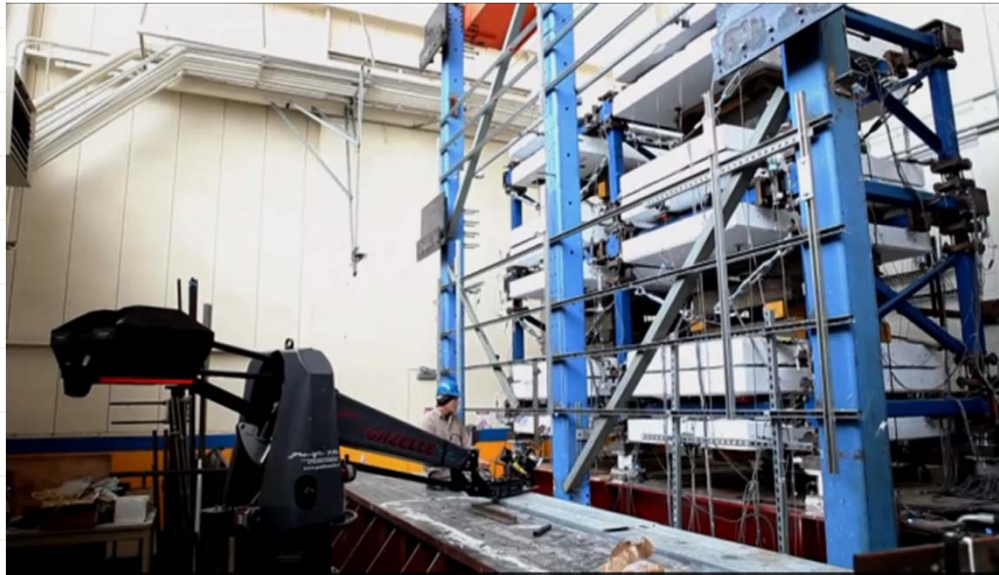


# Conclusions

- ★ Efficiently test portion of the structure through hybrid simulation
- ★ Hybrid testing reproduced desired input
- ★ Isolation displacement was larger for short period substructures
- ★ The level of superstructure response is tied only to the peak acceleration levels coming from the substructure, with larger accelerations resulting in larger superstructure responses



# Earthquake Exhibit: Life on a Dynamic Planet



**EARTH  
QUAKE**

Questions?  
Thank you!

<http://openfresco.berkeley.edu/>

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OpenFresco